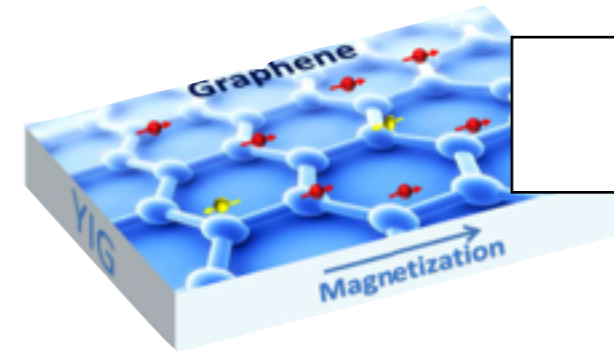
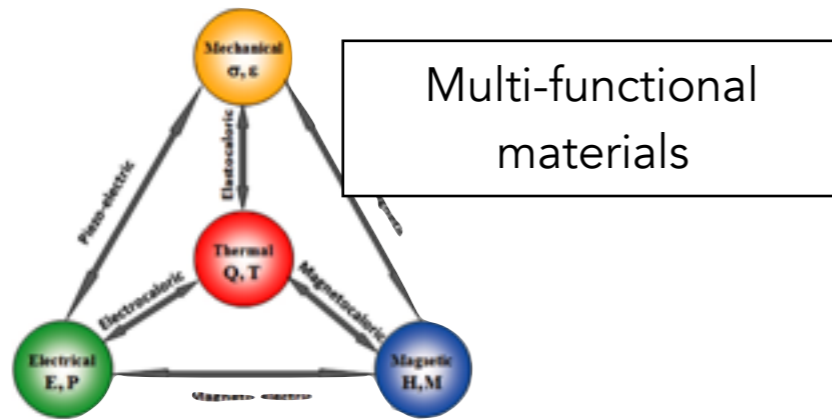


MAGiC: polarized single crystal diffractometer

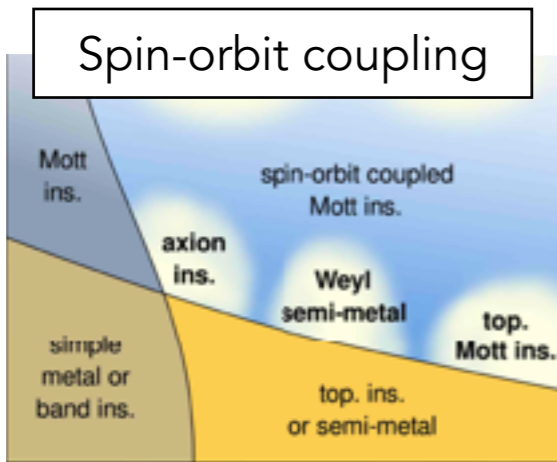
Data management

The science behind MAGiC

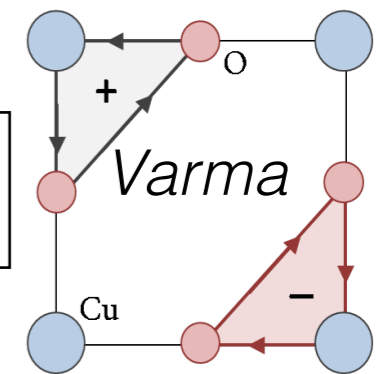


Magnetism at interfaces
Thin films

Phys. Rev. Lett. **114**, 016603

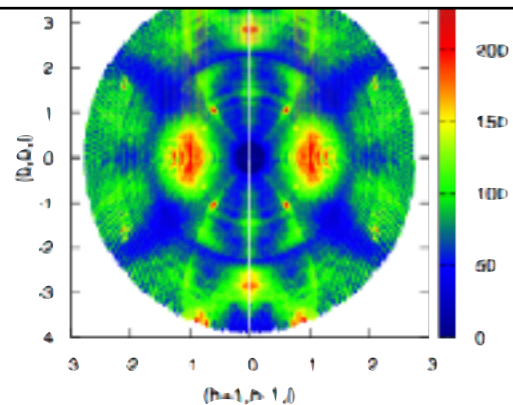


Superconductivity and magnetism

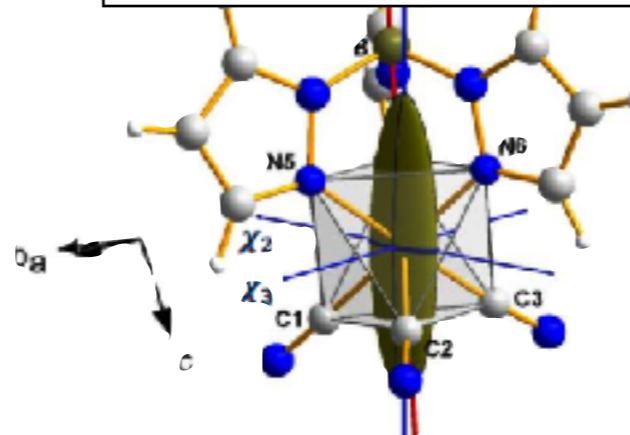


arXiv:1305.2193v2

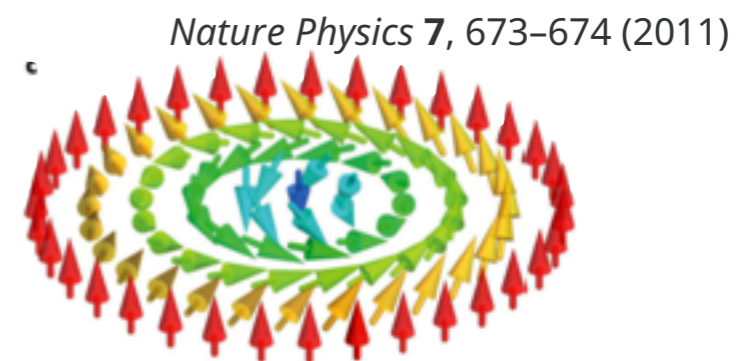
Fundamental magnetism and theory (Coulomb, Kitaev, ...)



Molecular magnetism

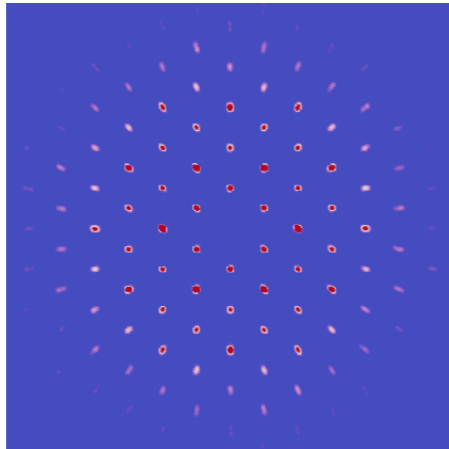


Long range magnetic states (skyrmions, multiferroics, ...)

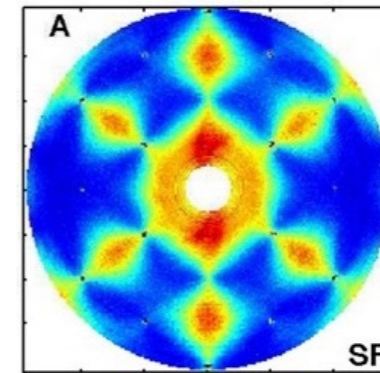
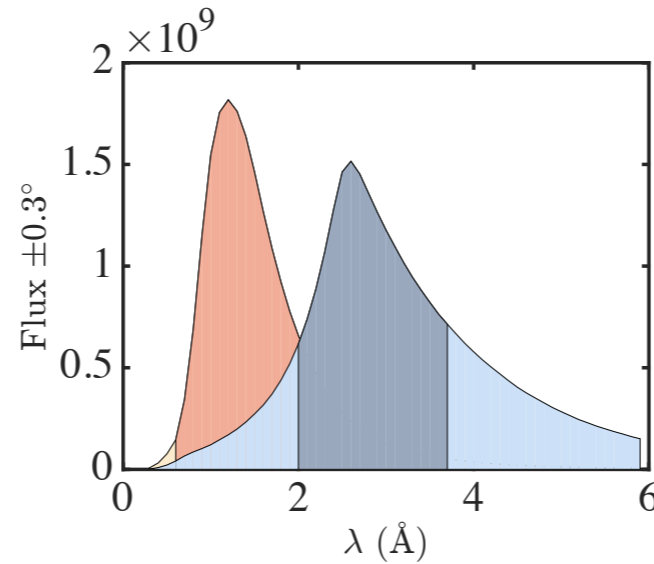


Requirements

Spectrum: thermal & cold

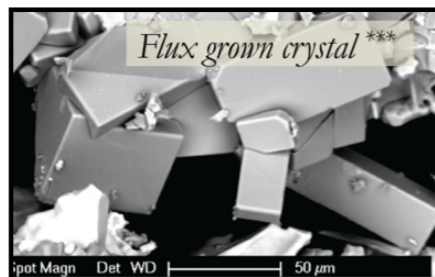
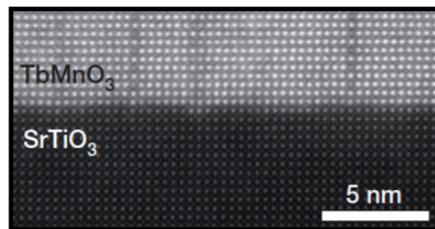


Crystal & magnetic structures
Spin-lattice coupling

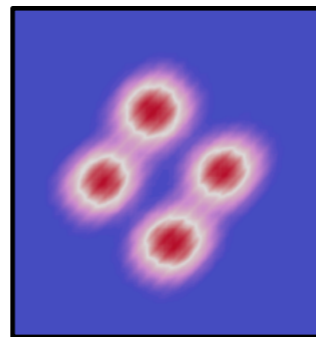


Fundamental magnetism
Diffuse scattering

Focusing

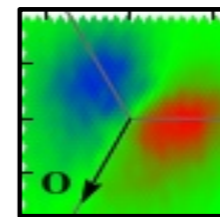


Flexible Q-resolution

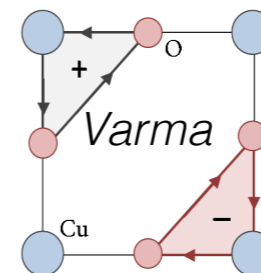


$$\Delta Q \sim 10^{-2} \dots 10^{-3} \text{\AA}^{-1}$$

Polarised



Vector properties
Chirality

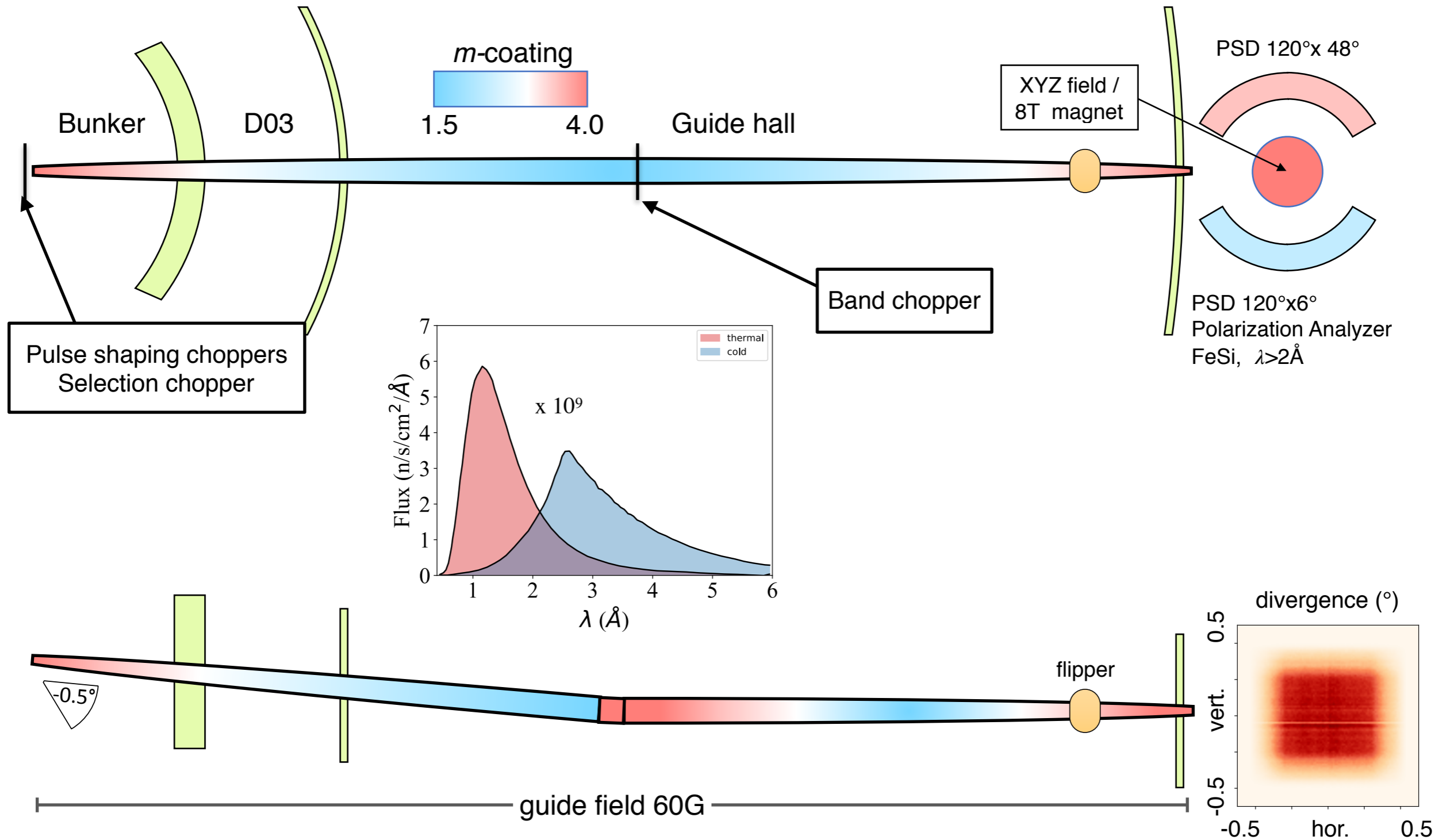


Separation of weak
Magnetic from nuclear
contributions

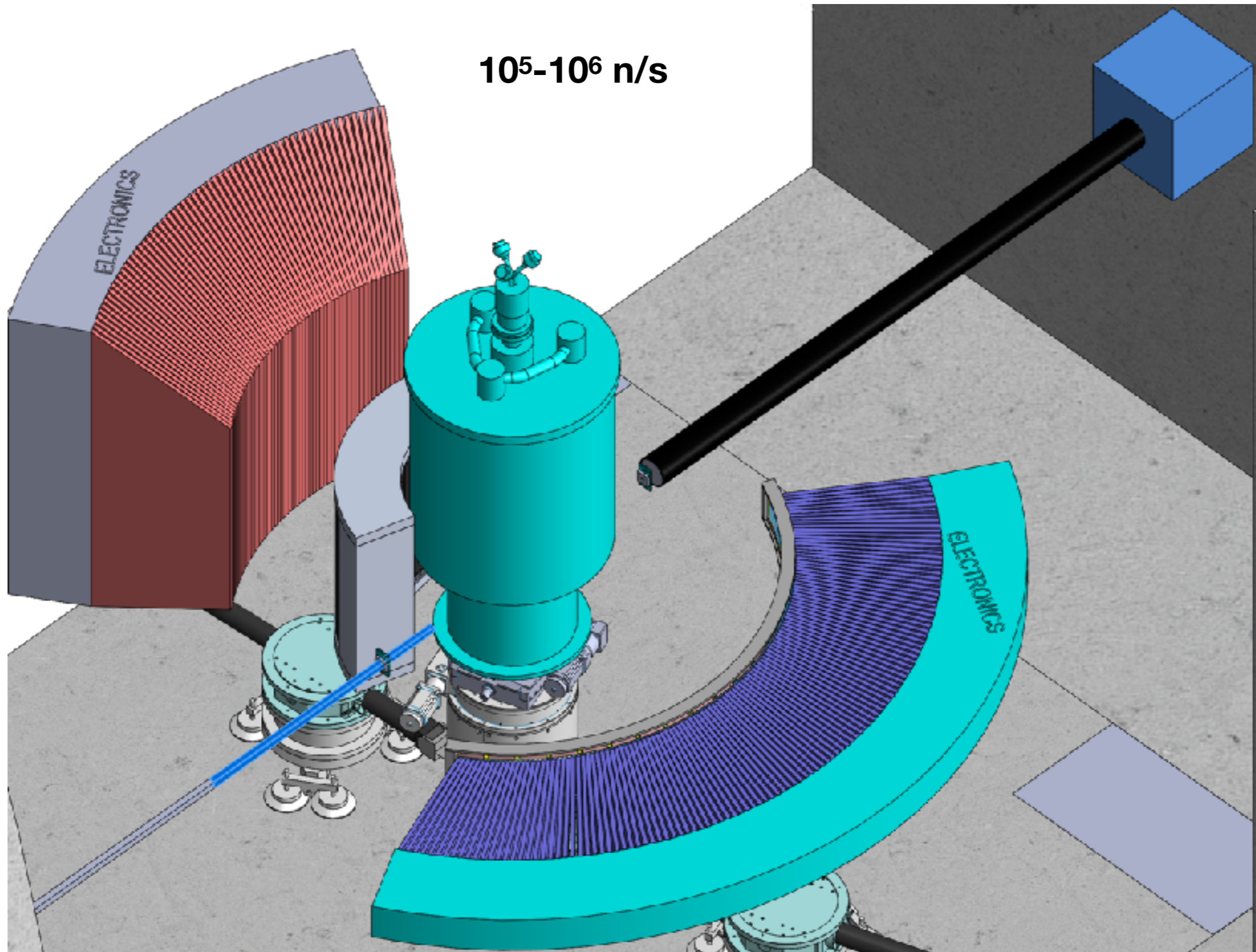
The instrument

Quick Facts	
Instrument length	160 m
Commissioning/Operation	2022/2024
Moderator	Cold & Thermal
Q-Range	0.1 – 20 Å ⁻¹
Spin-Polarization/-Analysis	yes/yes
Wavelength Band	1.7 Å
Wavelength Range	0.6 – 6 Å
Momentum Resolution	$\Delta Q/Q = 2-10\%$
Detector half-polarized Resolution	10B 60°x48° h=0.11°, v=0.3°
Detector PA Resolution	10B 120°x6° h=0.11°, v=0.3°

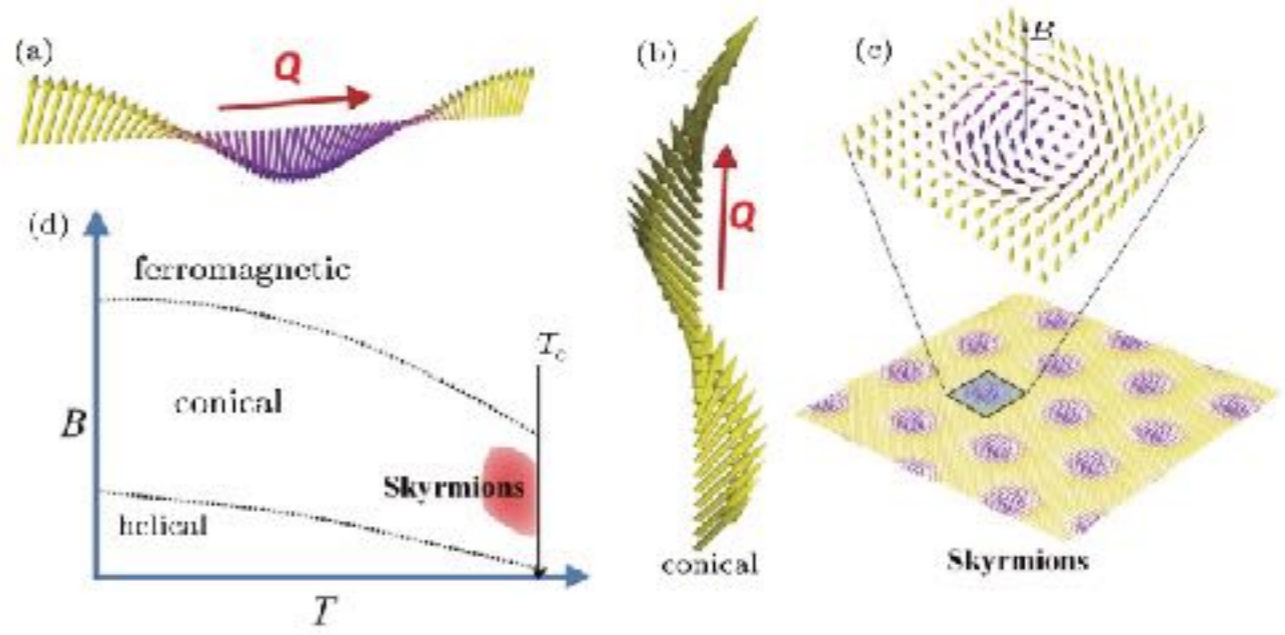
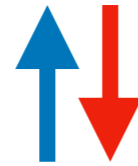
The instrument



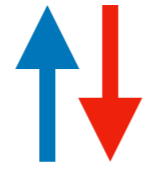
The detectors



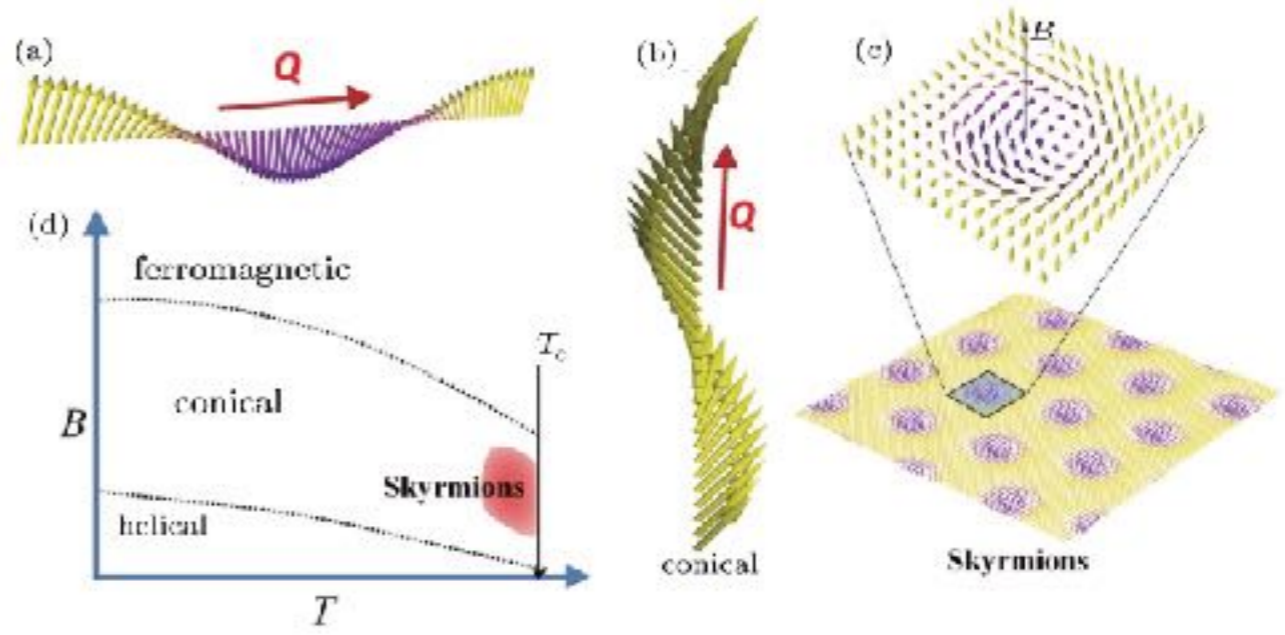
Unpolarized mode



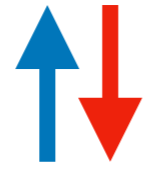
Unpolarized mode



$$I(Q) = F_N^2(Q) + F_M^2(Q)$$

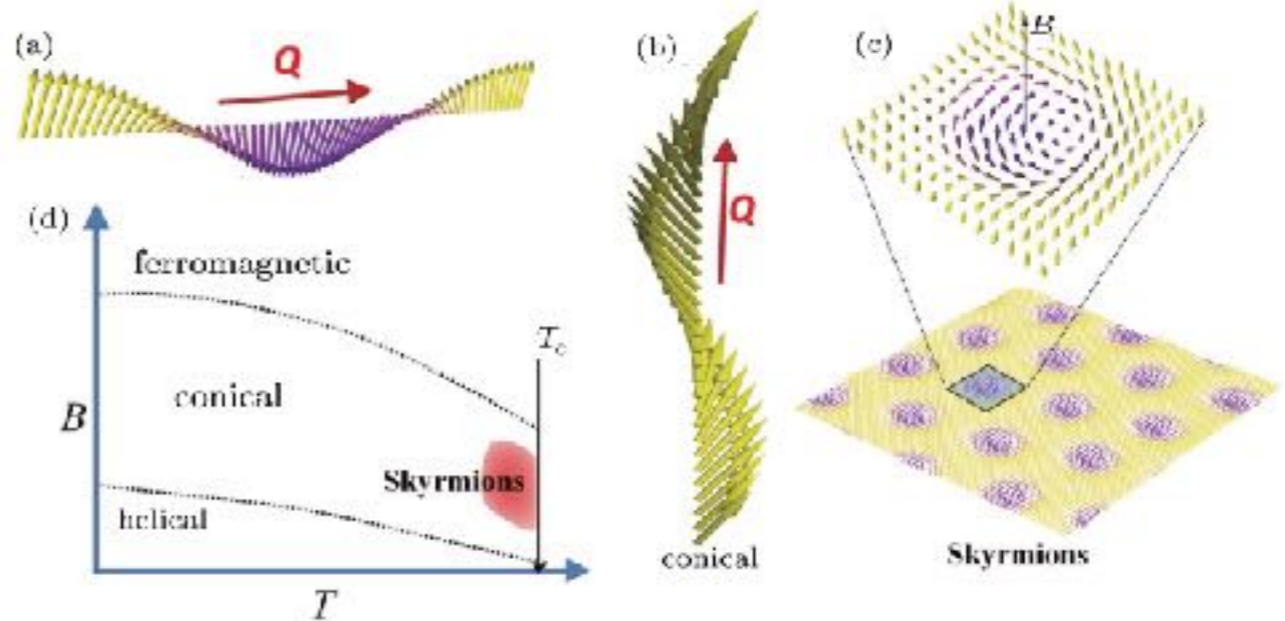
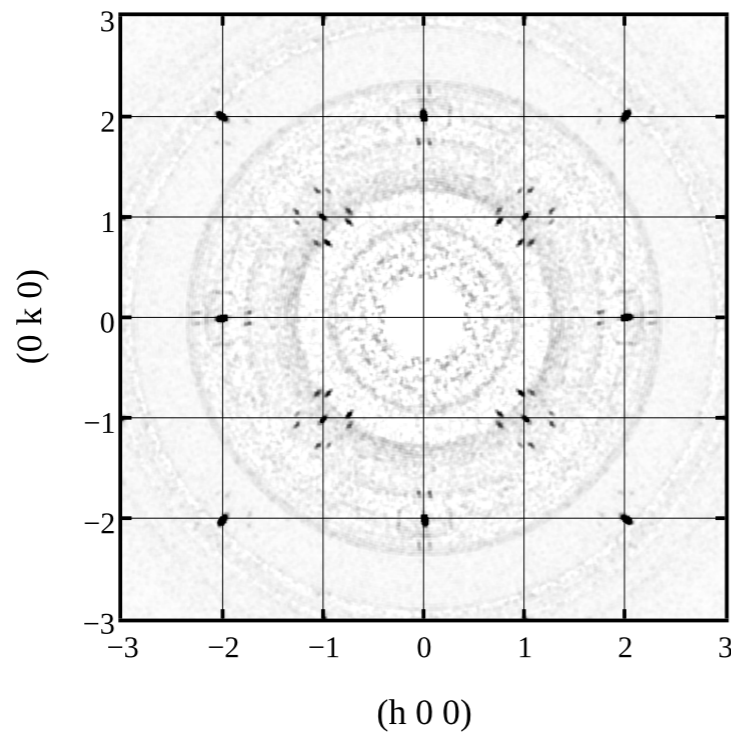


Unpolarized mode



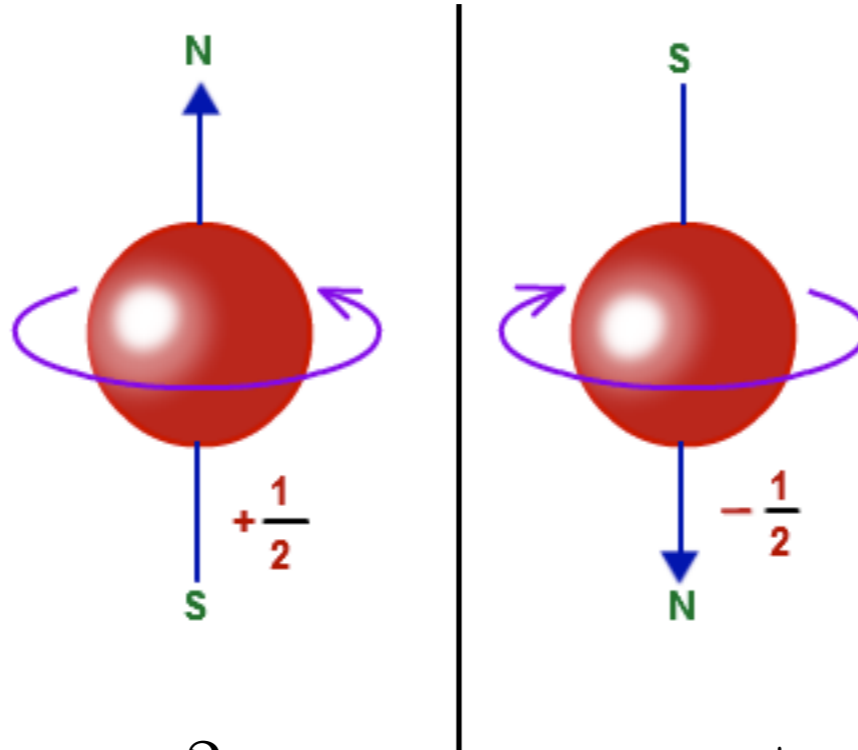
$$I(Q) = F_N^2(Q) + F_M^2(Q)$$

$$\lambda = 2d \sin(\theta)$$



Half-polarized mode

$$I^{\pm} = (F_N \pm F_M)^2$$

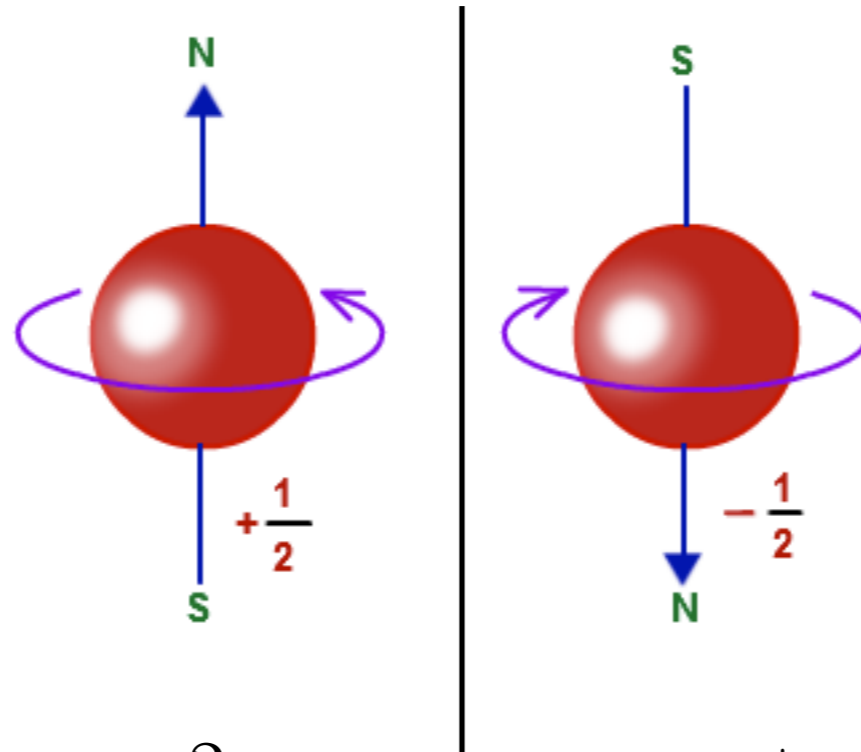


$$I^+ + I^- \propto F_N^2 + F_M^2$$

$$I^+ - I^- \propto 4F_N F_M$$

Half-polarized mode

$$I^{\pm} = (F_N \pm F_M)^2$$



$$I^+ + I^- \propto F_N^2 + F_M^2$$

$$I^+ - I^- \propto 4F_N F_M$$

$$\begin{array}{l} F_N = 1 \\ F_M = 0.1 \end{array} \left| \begin{array}{l} I^+ = 1.21 \\ I^- = 0.81 \end{array} \right.$$

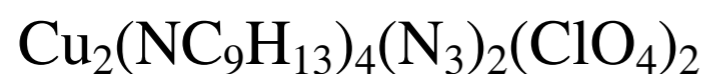
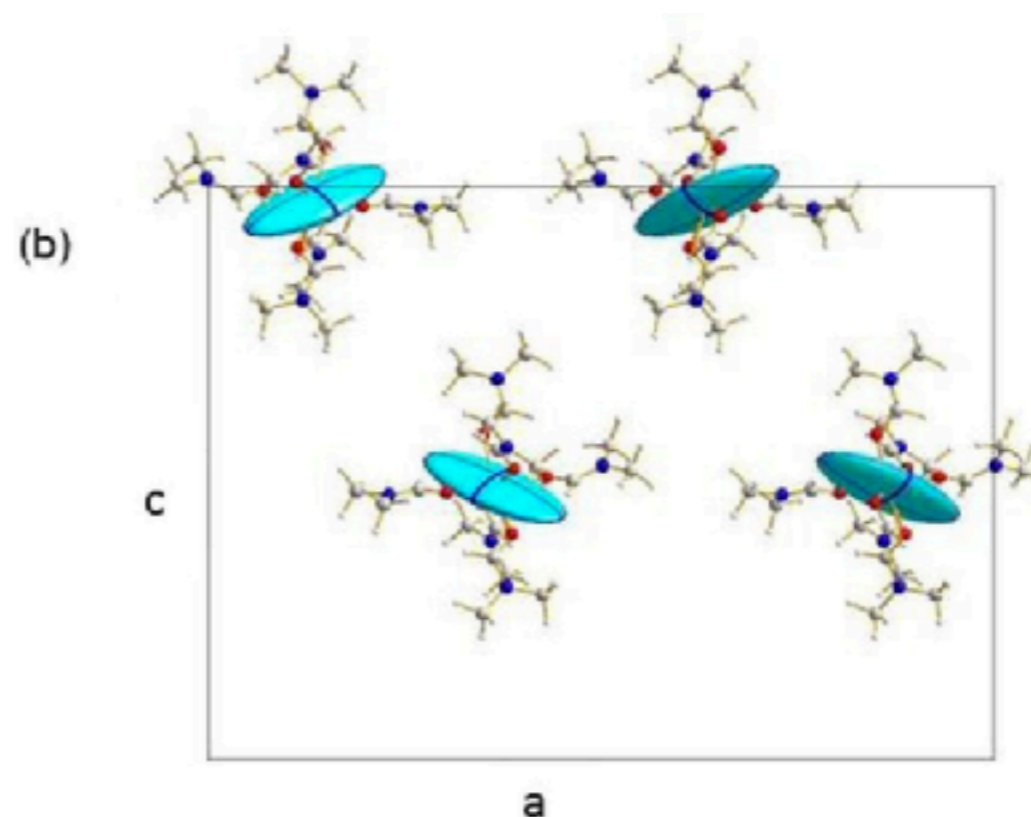
$$FR = 1.49$$

High sensitivity to weak magnetic contributions

Half-polarized mode

Spin density

Local anisotropy = local SQUID



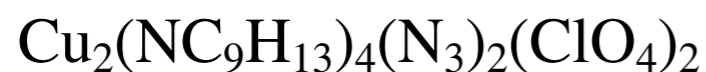
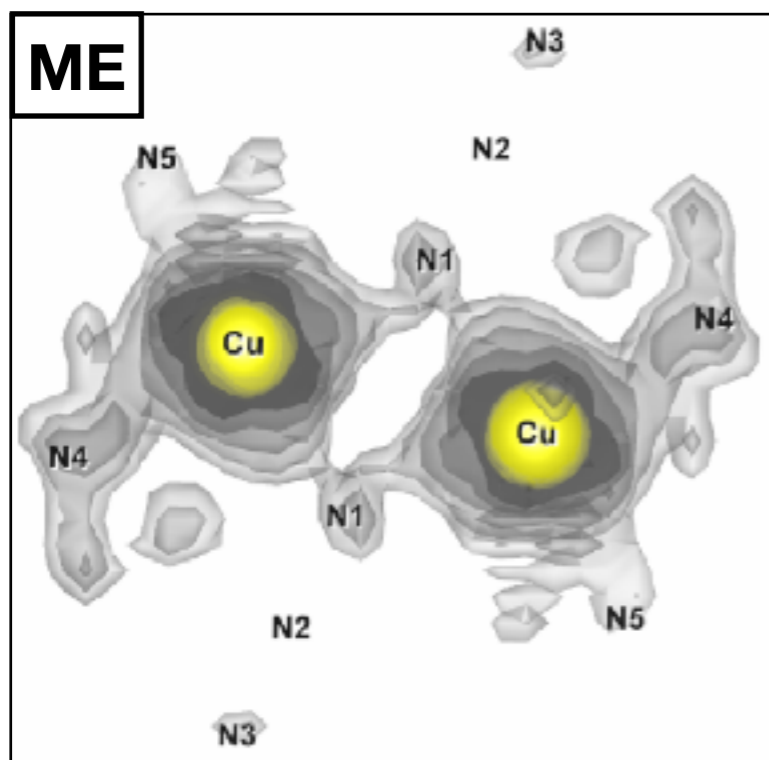
■ Magnetism Studies | *Hot Paper* |

🕒 Polarized Neutron Diffraction as a Tool for Mapping Molecular Magnetic Anisotropy: Local Susceptibility Tensors in Co^{II} Complexes

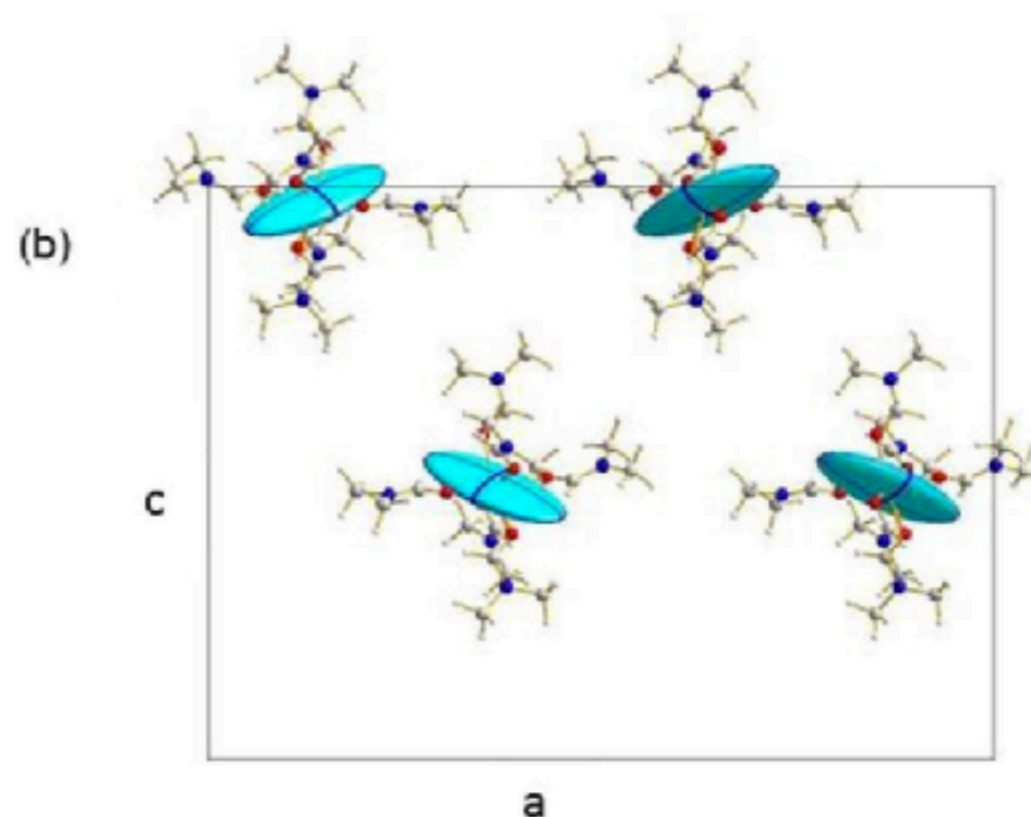
Karl Ridier,^[a, f] Béatrice Gillon,^{*(a)} Arsen Gukasov,^[a] Grégory Chaboussant,^[a] Alain Cousson,^[a] Dominique Luneau,^{*(b)} Ana Borta,^[b, g] Jean-François Jacquot,^[c] Ruben Checa,^[b] Yukako Chiba,^[d] Hiroshi Sakiyama,^[d] and Masahiro Mikuriya^[e]

Half-polarized mode

Spin density



Local anisotropy = local SQUID



■ Magnetism Studies | *Hot Paper* |

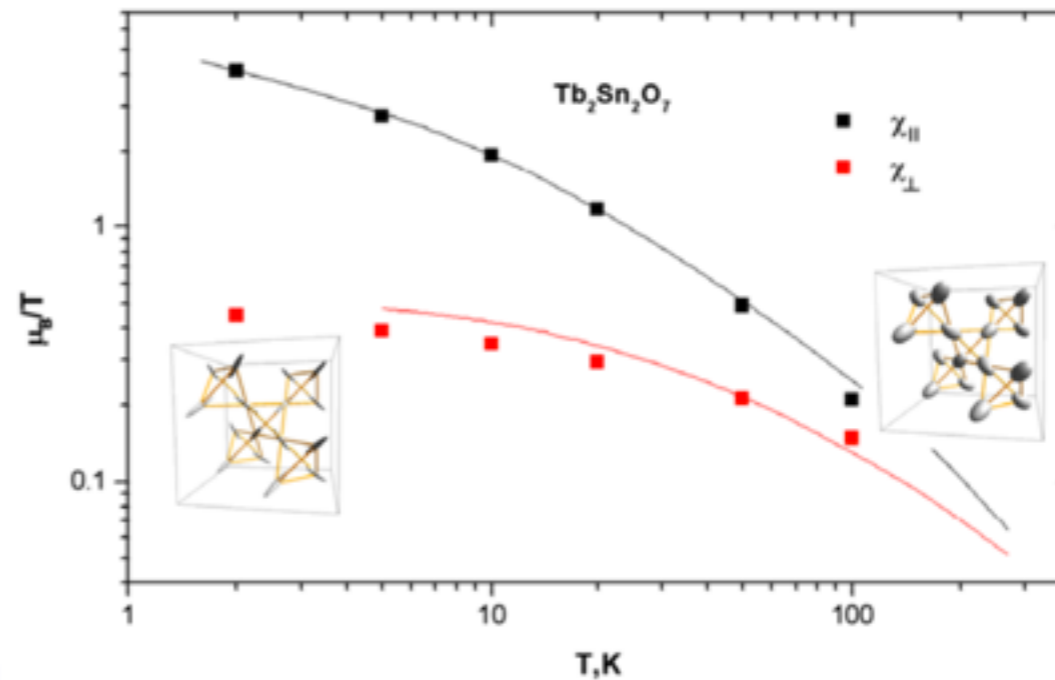
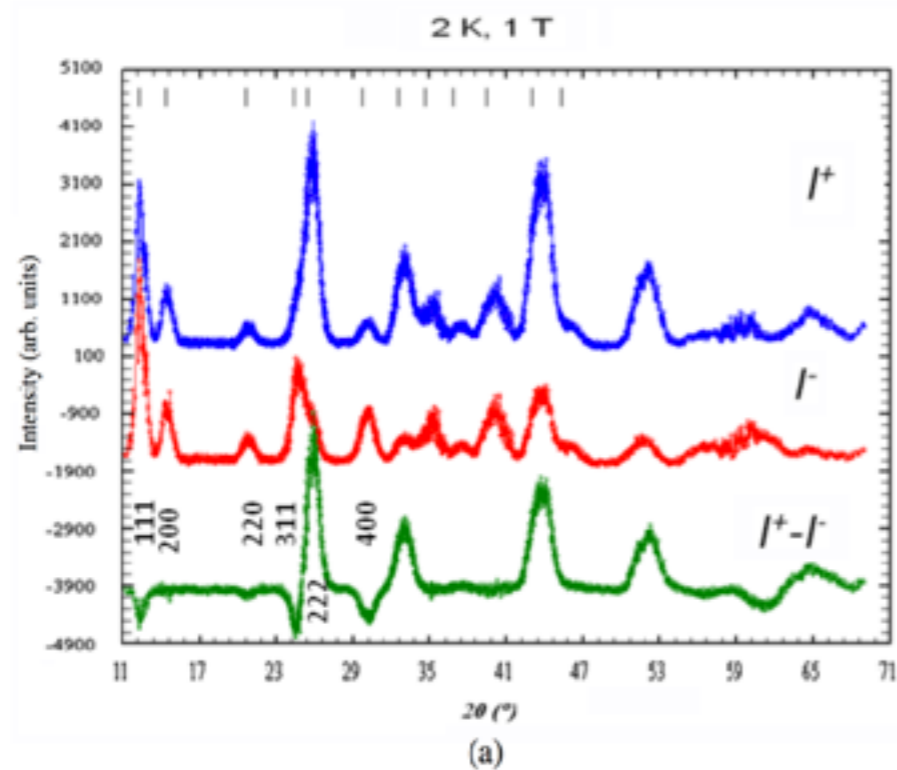
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Half-polarized mode

Spin density Local anisotropy = local SQUID

Works on powder sample too



Molecular
Co^{II}

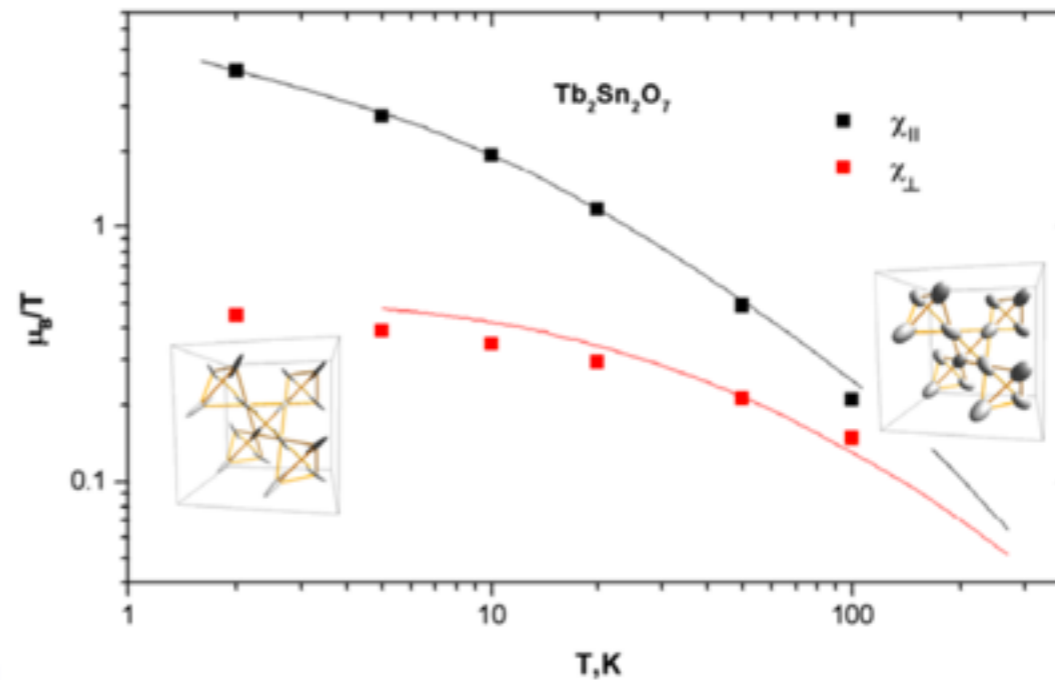
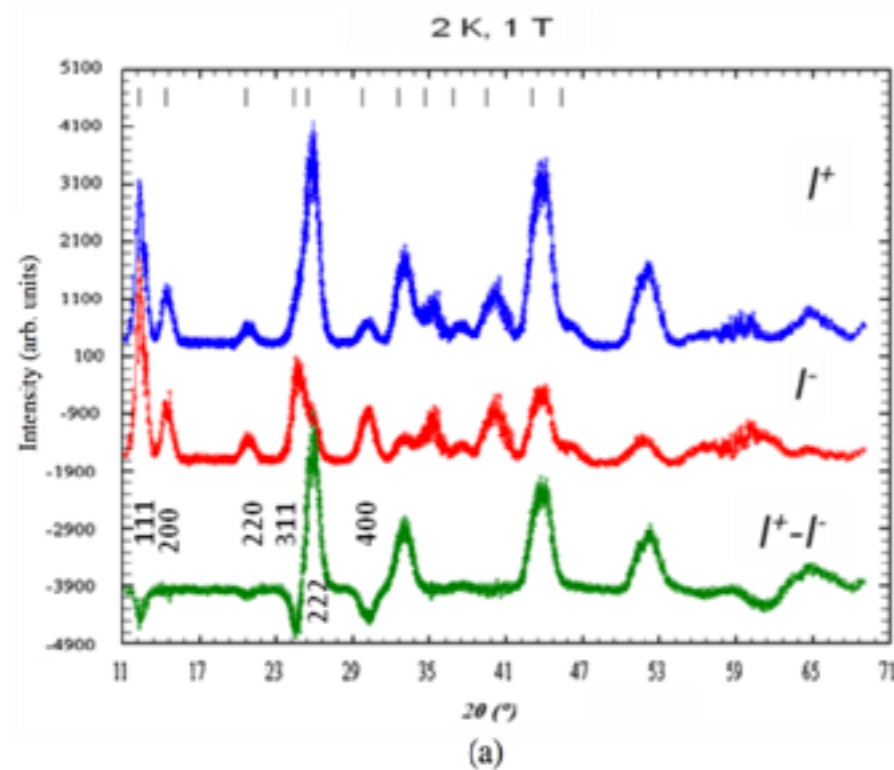
Complexes

Karl Ridier,^[a, f] Béatrice Gillon,^{*(a)} Arsen Gukasov,^[a] Grégory Chaboussant,^[a] Alain Cousson,^[a] Dominique Luneau,^{*(b)} Ana Borta,^[b, g] Jean-François Jacquot,^[c] Ruben Checa,^[b] Yukako Chiba,^[d] Hiroshi Sakiyama,^[d] and Masahiro Mikuriya^[e]

Half-polarized mode

Spin density Local anisotropy = local SQUID

Works on powder sample too



Molecular
Co^{II}

Complexes

Karl Ridier,^[a, f] Béatrice Gillon,^{*(a)} Arsen Gukasov,^[a] Grégory Chaboussant,^[a] Alain Cousson,^[a] Dominique Luneau,^{*(b)} Ana Borta,^[b, g] Jean-François Jacquot,^[c] Ruben Checa,^[b] Yukako Chiba,^[d] Hiroshi Sakiyama,^[d] and Masahiro Mikuriya^[e]

XYZ polarization

$$\begin{pmatrix} P_{xx} & P_{xy} & P_{xz} \\ P_{yx} & P_{yy} & P_{yz} \\ P_{zx} & P_{zy} & P_{zz} \end{pmatrix}$$

$$\begin{pmatrix} P_{yy} & P_{\bar{y}y} \\ P_{y\bar{y}} & P_{\bar{y}\bar{y}} \end{pmatrix}$$

36 combinations

$$\begin{pmatrix} P_{xx} & P_{xy} & P_{xz} \\ P_{yx} & P_{yy} & P_{yz} \\ P_{zx} & P_{zy} & P_{zz} \end{pmatrix}$$

**Longitudinal polarization
12 possible terms**

$Q_{//}$, Q_{\perp} and Q_z to extract

Done on a triple axis or single counter instrument

XYZ polarization analysis

$$\begin{aligned}\sigma_x^{++} &= \sigma_x^{nsf} \\ \sigma_x^{+-} &= \sigma_x^{sf} - P_0 M_{ch} \\ \sigma_x^{--} &= \sigma_x^{nsf} \\ \sigma_x^{-+} &= \sigma_x^{sf} + P_0 M_{ch}\end{aligned}$$

**Longitudinal polarization
12 possible terms**

$$\begin{aligned}\sigma_z^{++} &= \sigma_z^{nsf} + P_0 \cdot R_z \\ \sigma_z^{--} &= \sigma_z^{nsf} - P_0 \cdot R_z \\ \sigma_z^{+-} &= \sigma_z^{sf} \\ \sigma_z^{-+} &= \sigma_z^{sf}\end{aligned}$$

$$\begin{aligned}\sigma_y^{++} &= \sigma_y^{nsf} + P_0 \cdot R_y \\ \sigma_y^{--} &= \sigma_y^{nsf} - P_0 \cdot R_y \\ \sigma_y^{+-} &= \sigma_y^{sf} \\ \sigma_y^{-+} &= \sigma_y^{sf}\end{aligned}$$

XYZ polarization analysis

$$\sigma_N = \sigma_x^{++} = \sigma_x^{--}$$

$$\sigma_M^y = \frac{\sigma_y^{++} + \sigma_y^{--}}{2} - \frac{\sigma_x^{++} + \sigma_x^{--}}{2} = \frac{\sigma_x^{+-} + \sigma_x^{-+}}{2} - \frac{\sigma_y^{+-} + \sigma_y^{-+}}{2}$$

$$\sigma_M^z = \frac{\sigma_z^{++} + \sigma_z^{--}}{2} - \frac{\sigma_x^{++} + \sigma_x^{--}}{2} = \frac{\sigma_x^{+-} + \sigma_x^{-+}}{2} - \frac{\sigma_z^{+-} + \sigma_z^{-+}}{2}$$

$$M_{ch} = \frac{\sigma_x^{-+} - \sigma_x^{+-}}{2P_0}$$

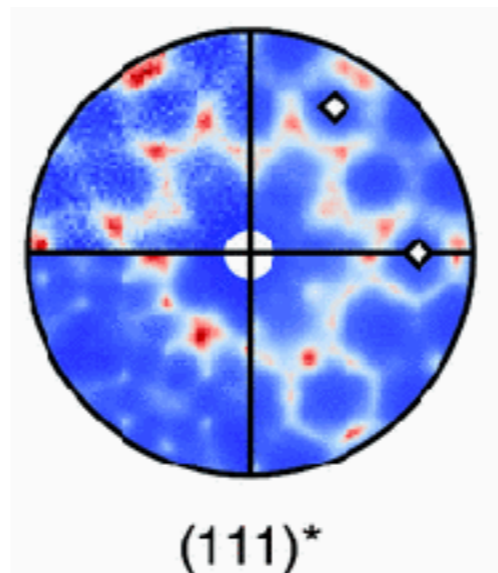
$$R_y = \frac{\sigma_y^{++} - \sigma_y^{--}}{2P_0}$$

$$R_z = \frac{\sigma_z^{++} - \sigma_z^{--}}{2P_0}$$

Magnetic nuclear separation

Chirality

Magnetic/nuclear interference



magnetic diffuse scattering

**Co doped β -Mn
50 mK**

J.A.M. Paddison et al

What is needed

- Data reduction
 - Events mode
 - Histograms
 - Peak detection
 - UB matrix definition
 - Peak integration in Q-space
 - Export to dedicated software in ascii mode

Keep polarization information

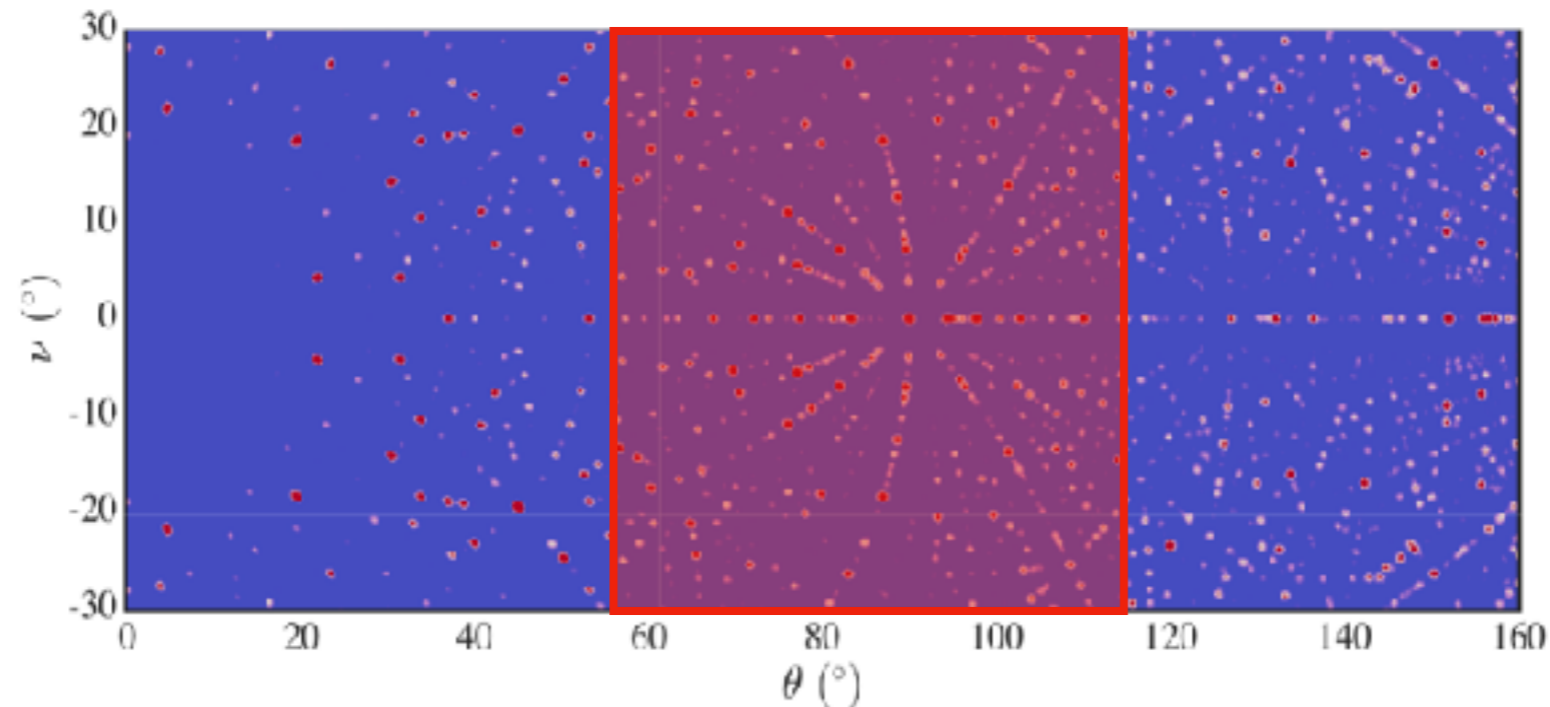
Keep sample orientation information

Allow for incommensurate magnetic peaks integration based on a given/detected k vector



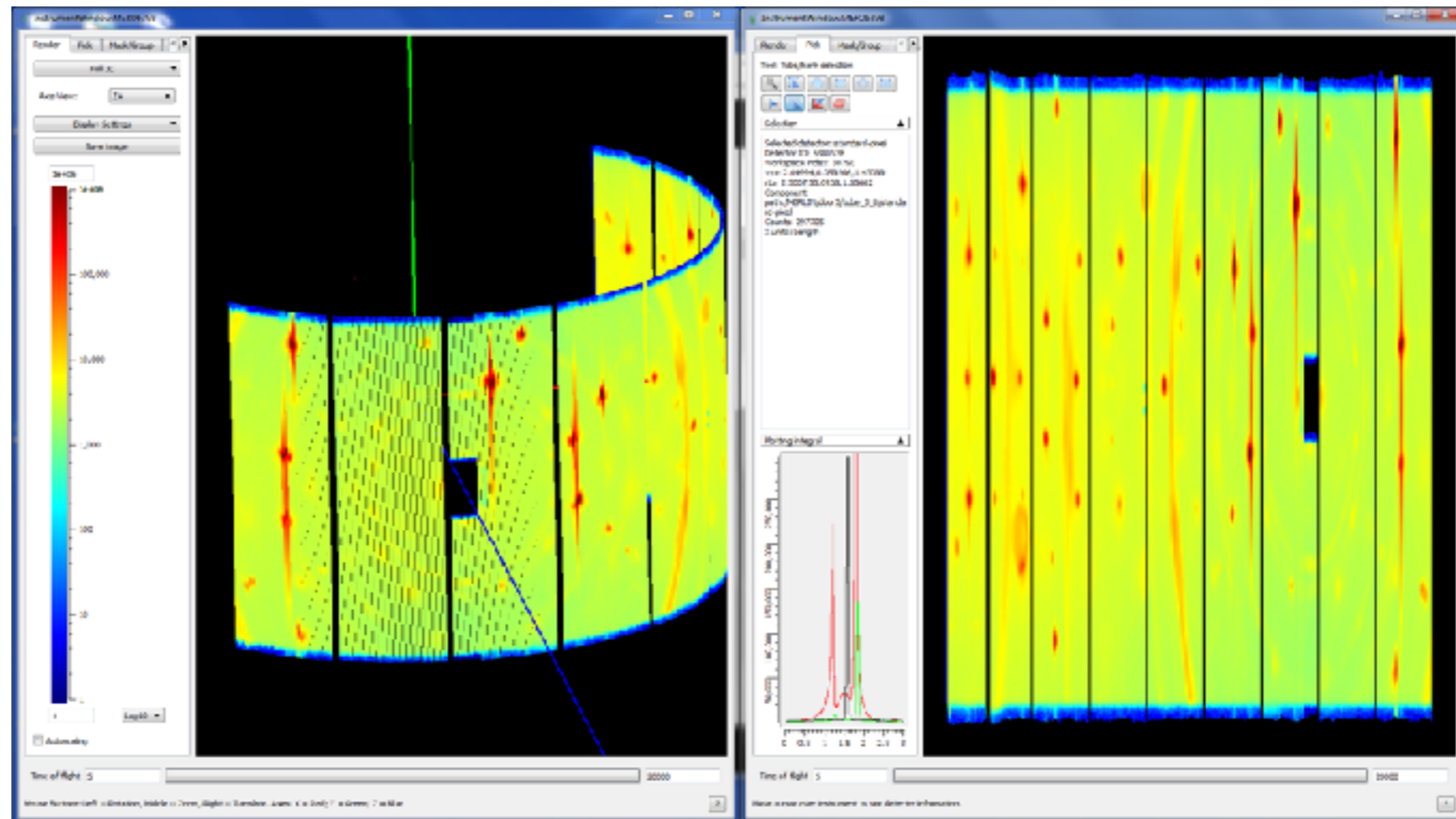
What is needed

- Data visualization
 - Detector data (in instrument space)
 - Q-space 3D volume in Q and hkl space
 - oriented 2D slices in Q and hkl space
 - 1D line (peak profile, resolution)



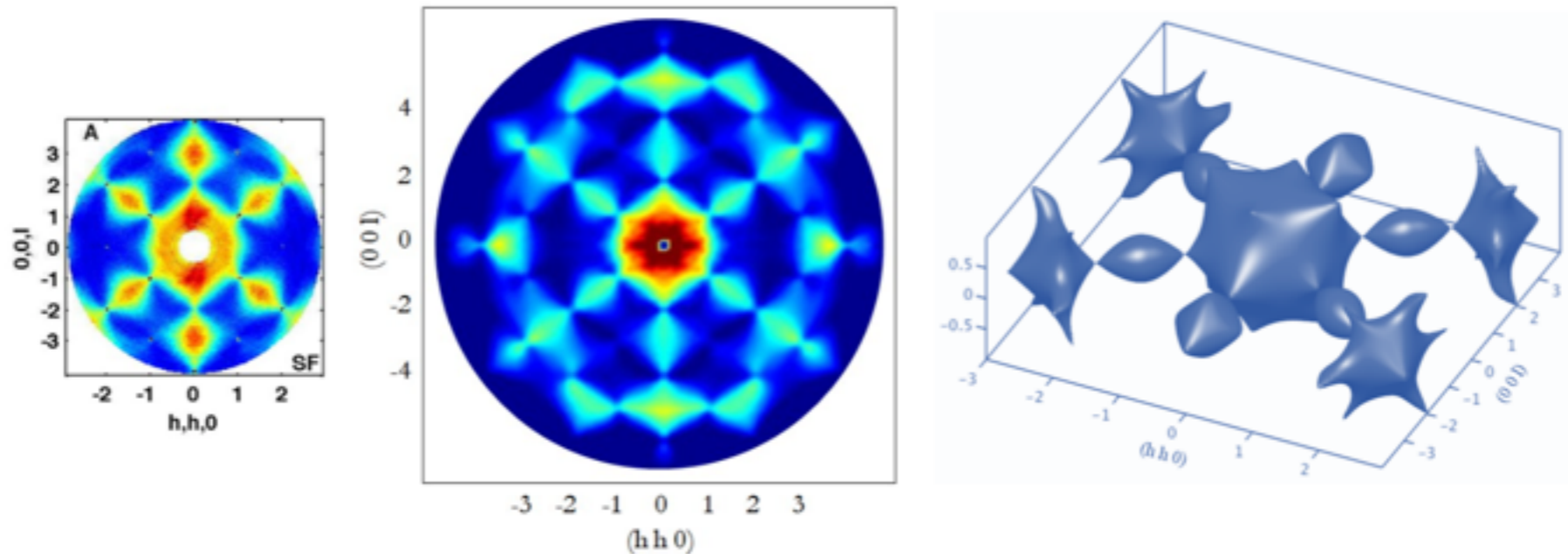
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What is needed

- Data visualization
 - Detector data (in instrument space)
 - Q-space 3D volume in Q and hkl space
 - oriented 2D slices in Q and hkl space
 - 1D line (peak profile, resolution)
 - Nuclear-magnetic separation



Polarization in XYZ instrument space

Projection on sample Q-space (UB matrix)

Reconstruction of $Q_{//}$, Q_{\perp} and Q_z information

When do we need it

- Instrument control: Q2/2021
 - Cold commissioning
- Data visualization: Q2/2022
 - First neutrons on the instrument in 07/2022
- Data reduction: Q3/2022
 - Beam and detectors commissioned in 12/2022
 - First experiments in unpolarized mode