

## DTL Design Parameters

- Energy from $\mathbf{3 . 6 2}$ to $\mathbf{8 9 . 9 1} \mathrm{MeV}$ in 5 tanks.
- Total DTL length: $\mathbf{3 7 . 8 3} \mathrm{m}$ (including intertanks).
- Accelerating field, $\mathrm{E}_{0}$, constant in each tank [(3.00, 3.16, 3.07, 3.04, 3.13) MV/m].
- Peak electric field threshold:
- lowered to 1.2 Kilp. in the cell 1.
- ramped from 1.2 Kilp. to $\mathbf{1 . 5 5}$ Kilp. in the first $\mathbf{2 0}$ cells of the tank $\mathbf{1}$;
- equal and constant to $\mathbf{1 . 5 5}$ Kilp. elsewhere.
- Maximum module (subtank) length equal to 2 m .
- PMQs in vacuum. PMQ diam. $=\mathbf{6 0} \mathrm{mm}$, lengths $=\mathbf{4 5} \mathrm{mm}$ and $\mathbf{8 0} \mathrm{mm}$.
- Input RMS Emittance: Trans./Long. $=\mathbf{0 . 2 8 / 0 . 3 6} \mathbf{~ m m} \times \operatorname{mrad}(\mathbf{0 . 1 4 3 6} \pi \mathrm{deg} \mathrm{MeV})$.
- F0D0 PMQ Lattice.
- Power:
- 1 klystron of $\mathbf{2 . 8} \mathrm{MW}$ per tank, duty cycle $=\mathbf{4} \%$.
- Power at RF tank input $=\mathbf{2 . 2 0}$ MW ( $\mathbf{3 0} \%$ margin for WG losses and LLRF).
- $\mathbf{2 . 2 0} \mathrm{MW}>\mathrm{P}_{\text {copper }} \times \mathbf{1 . 2 5}+\mathrm{P}_{\text {beam }}\left(\mathrm{I}_{\text {beam }}=\mathbf{6 2 . 5} \mathrm{mA}, \mathbf{1 . 2 5}\right.$ margin on MDTfish computation $)$.
- $\mathbf{2}$ power couplers per tank, Peak power $=\mathbf{1 . 1}$ MW each.


## DTL Layout

| Parameter / Tank | $\mathbf{1}$ | $\mathbf{2}$ | $\mathbf{3}$ | $\mathbf{4}$ | $\mathbf{5}$ |
| :--- | :---: | :---: | :---: | :---: | :---: |
| Cells per cavity | 61 | 34 | 29 | 26 | 23 |
| Accelerating field [MV/m] | 3.00 | 3.16 | 3.07 | 3.04 | 3.13 |
| Maximum surface field [Kilp.] | 1.55 | 1.55 | 1.55 | 1.55 | 1.55 |
| Synchronous phase [deg] | -35 to -25.5 | -25.5 | -25.5 | -25.5 | -25.5 |
| Total power per cavity* [KW] | 2192 | 2191 | 2196 | 2189 | 2195 |
| Power on copper** [KW] | 870 | 862 | 872 | 901 | 952 |
| Quadrupole length [mm] | 50 | 80 | 80 | 80 | 80 |
| Bore Radius [mm] | 10 | 11 | 11 | 12 | 12 |
| Number of modules | 4 | 4 | 4 | 4 | 4 |
| Length [m] | 7.62 | 7.09 | 7.58 | 7.85 | 7.69 |
| Beam output power [MeV] | 21.29 | 39.11 | 56.81 | 73.83 | $\mathbf{8 9 . 9 1}$ |

* Total power $=1.25 \times$ Power on copper + Beam Power.
$* *$ MDTfish calculation.


## Optimum E 0 (i.e. Tank 3)

1. Calculation of the output energy and the maximum cell number as function of the E0 (rough tuning - moving on red curve: red curve is drawn by using just one point for each blue ellipse);
2. choice of the cell number that maximizes the output energy (choice a blue ellipse);
3. tuning on $\boldsymbol{E} \boldsymbol{0}$ to reach the maximum desired total power, $\mathbf{2 . 2} \mathrm{MW}$, (fine tuning - moving, in the chosen blue ellipse, on the blue curve).


## DTL Main Figures of Merit

TTF



Sync. Phase [deg]
-

## Focusing Scheme F0D0



## Phase Advance at Zero Current



## Tune Depression

A "measure" of the sensitivity to mismatch.


## Hofmann resonance diagram



## RMS Emittance

RMS tran. and long. emittance increasing less than $\mathbf{1 0 \%}$.


## 99\% Emittance

Norm. $\mathbf{9 9 \%}$ emittance over norm. RMS emittance less than 10 to limit halo.
Norm. $\mathbf{9 9 \%}$ emittance over norm. RMS emittance
—x 一y —z —LIMIT


## Acceptance



$$
\frac{\varepsilon_{x, y}}{\varepsilon_{R M S}} \sim \frac{9.1}{0.28} \sim 5.7^{2}
$$

Zero losses at 5.7 o ( $\sigma$ means RMS beam size).


## Error Study on PMQ

Analysis done by introducing statistical errors on the PMQ transverse displacement ( $\max \mathbf{0 . 2} \mathrm{mm}$ ) and rotation ( $\max \mathbf{1}^{\circ}$ ), longitudinal rotation (max $\mathbf{1}^{\circ}$ ), gradient ( $\max \mathbf{1} \%$ of the gradient amplitude).

- Number of steps equal to 20 to sample the error range.
- Number of DTLs per step equal to 400 .
- Error uniformly distributed in the error range.
- Error individually applied on each element.
- Included halo distribution, cut at 3б, into input distribution.
- Number of the input particles equal to $\mathbf{5} \times \mathbf{1 0}^{\mathbf{5}}(\sim \mathbf{0 . 5} \mathrm{W}$ per particle at 90 MeV ) with uniform distribution.
- $0.6 \%$ of the beam into the halo ( $\sim \mathbf{1 . 3} \mathrm{KW}$ in the halo).


## Steerer

- Steerers placed in the empty space of the FODO lattice.
- 3 steerers per tank per plane.
- Max steerer strength equal to $\pm \mathbf{1 . 6} \mathbf{m T}$ m.
- 3 beam position monitors per tank with the accuracy equal to $\mathbf{0 . 1} \mathrm{mm}$.

| Element |  | 11 | T1 | 12 | T2 | T2 | 13 | T3 | T3 | 4 | 14 | T4 | 15 | T5 | I5 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Steerer X [\#] | 6 | 20 | 36 | 75 | 85 | 95 | 119 | 127 | 135 | 157 | 163 | 169 | 192 | 198 | 204 |
| Steerer Y [\#] | 9 | 23 | 39 | 78 | 88 | 98 | 122 | 130 | 138 | 160 | 166 | 172 | 195 | 201 | 207 |
| BPM [\#] | 58 | 63 | 68 | 102 | 107 | 112 | 141 | 146 | 151 | 177 | 182 | 187 | 210 | 215 | 220 |



## Error on PMQ position and gradient

Statistical errors on PMQ transverse displacement ( $1 \equiv \pm \mathbf{0 . 2} \mathrm{mm}$ ) and rotation ( $1 \equiv \pm \mathbf{1}^{\circ}$ ), longitudinal rotation $\left(1 \equiv \pm \mathbf{1}^{\circ}\right)$, gradient $(1 \equiv \pm \mathbf{1} \%$ of the gradient amplitude).

No steerer correction


With steerer correction


## Average Power Lost

- Transverse PMQ displacement error (dx, dy) max $\mathbf{0 . 1} \mathrm{mm}$;
- PMQ rotation error $\left(\varphi_{x}, \varphi_{y}, \varphi_{z}\right) \max \mathbf{0 . 5}{ }^{\circ}$;
- PMQ gradient error (dg) max $\mathbf{0 . 5 \%}$ of the gradient amplitude.

No steerer correction


Total losses ~ $\mathbf{1 . 0 0} \mathrm{W}$
(over 30 MeV , after $\mathbf{1 1} \mathrm{m}$, total loss ~ $\mathbf{0 . 9 6} \mathrm{W}$ ). ( over $\mathbf{3 0} \mathrm{MeV}$, after $\mathbf{1 1} \mathrm{m}$, total loss ~ $\mathbf{0 . 0 3} \mathrm{W}$ ).

## RMS Power Lost

- Transverse PMQ displacement error (dx, dy) max $\mathbf{0 . 1} \mathrm{mm}$;
- PMQ rotation error $\left(\varphi_{x}, \varphi_{y}, \varphi_{z}\right) \max \mathbf{0 . 5}{ }^{\circ}$;
- PMQ gradient error (dg) max $\mathbf{0 . 5} \%$ of the gradient amplitude.


## No steerer correction



Total losses ~ 5.1 W
(over $\mathbf{3 0 ~ M e V}$, after $\mathbf{1 1} \mathrm{m}$, total loss ~ 4.7 W ).

With steerer correction
[12/5/[2013] [ E:/Renato/13. 10/v84//v84 - Error Study PMQ - Correction Steerer//V84.ini ]
Tracewin - CEA/DSM/IIfu/SACM


Total losses ~ 0.6 W

## Max Power Lost

- Transverse PMQ displacement error (dx, dy) max $\mathbf{0 . 1} \mathrm{mm}$;
- PMQ rotation error $\left(\varphi_{x}, \varphi_{y}, \varphi_{z}\right) \max \mathbf{0 . 5}{ }^{\circ}$;
- PMQ gradient error (dg) max $\mathbf{0 . 5 \%}$ of the gradient amplitude.

No steerer correction


Total losses ~ $\mathbf{6 8 . 4} \mathrm{W}$ (over 30 MeV , after 11 m , total loss ~ $\mathbf{6 6 . 0} \mathrm{W}$ ). ( (over 30 MeV , after $\mathbf{1 1} \mathrm{m}$, total loss ~ $\mathbf{4 . 5} \mathrm{W}$ ).

## Comparison WITH / WITHOUT Steerers

Total losses at half max errors without steeres $\sim \mathbf{6 8 . 4} \mathrm{W} . \quad$ Total losses at half max errors with steerers $\sim \mathbf{7 . 2} \mathrm{W}$.


## 3 Questions

1. Is the DTL performance good even if there is a "realistic" (MEBT output as DTL input) particle distribution?
2. Is it useful to have larger beam apertures after the tank 1?
3. Is it possible to use "constant gradient" PMQ in the later tanks?


## MEBT output as DTL input Error on PMQ position and gradient

Statistical errors on PMQ transverse displacement ( $1 \equiv \pm \mathbf{0 . 2} \mathrm{mm}$ ) and rotation ( $1 \equiv \pm \mathbf{1}^{\circ}$ ), longitudinal rotation $\left(1 \equiv \pm \mathbf{1}^{\circ}\right)$, gradient $(1 \equiv \pm \mathbf{1} \%$ of the gradient amplitude).

No steerer correction



## MEBT output as DTL input Average Power Lost

- Transverse PMQ displacement error (dx, dy) max $\mathbf{0 . 1} \mathrm{mm}$;
- PMQ rotation error $\left(\varphi_{x}, \varphi_{y}, \varphi_{z}\right) \max \mathbf{0 . 5}{ }^{\circ}$;
- PMQ gradient error (dg) max $\mathbf{0 . 5 \%}$ of the gradient amplitude.

No steerer correction


Total losses ~ 35.97 W
(over 30 MeV , after 11 m , ~ $\mathbf{3 5 . 7 7} \mathrm{W}$ ).

With steerer correction


## MEBT output as DTL input RMS Power Lost

- Transverse PMQ displacement error (dx, dy) max $\mathbf{0 . 1} \mathrm{mm}$;
- PMQ rotation error $\left(\varphi_{x}, \varphi_{y}, \varphi_{z}\right) \max \mathbf{0 . 5}{ }^{\circ}$;
- PMQ gradient error (dg) max $\mathbf{0 . 5 \%}$ of the gradient amplitude.

No steerer correction


Total losses ~ $\mathbf{1 8 4 . 1 1} \mathrm{W}$ (over 30 MeV , after 11 m , ~ 183.01 W).

With steerer correction


Total losses ~ 1.07 W
(over 30 MeV , after $\mathbf{1 1} \mathrm{m}$, ~ $\mathbf{0 . 9 0} \mathrm{W}$ ).

## MEBT output as DTL input Max Power Lost

- Transverse PMQ displacement error (dx, dy) max $\mathbf{0 . 1} \mathrm{mm}$;
- PMQ rotation error $\left(\varphi_{x}, \varphi_{y}, \varphi_{z}\right) \max \mathbf{0 . 5}{ }^{\circ}$;
- PMQ gradient error (dg) max $\mathbf{0 . 5 \%}$ of the gradient amplitude.

No steerer correction


Total losses ~ 3520.02 W.

With steerer correction
[12/5/2013] [ E:/Renato/13.11/V84 Error Study 1000 Runs with STEERE5 - MEBT 1_2iV84, ini ]
Tracewin - CEA/DSM/irfu/SACM


Total losses ~ $\mathbf{1 4 . 0 1} \mathrm{W}$ (over $\mathbf{3 0} \mathrm{MeV}$, after $\mathbf{1 1} \mathrm{m}$, ~ $\mathbf{1 1 . 4 5} \mathrm{W}$ ).

## Larger Beam Aperture after Tank 1

$\mathbf{R b} / \mathbf{r} \quad-r=\sqrt{x_{\text {RMS }^{2}}{ }^{2} y_{\text {RMS }}{ }^{2}}$

- $R_{b}$ is the bore radius

- In the tank 1 is not convenient to increase the bore radius to keep potential beam scraping (most of all at the end of the tank, blue circle);
- In the tank 2 it is not convenient to increase the bore radius, in fact:

| $\mathrm{R}_{\mathrm{b}}[\mathrm{cm}]$ | $\Delta$ ZTT $[\%]$ respect to the nominal case $\left(R_{b}=1.1 \mathrm{~cm}\right)$ |
| :---: | :---: |
| 1.2 | $\mathbf{- 0 . 6 3}$ |
| 1.3 | $\mathbf{- 1 . 2 2}$ |
| 1.4 | $\mathbf{- 1 . 4 5}$ |

- In the tank 3,4 and 5 larger beam apertures don't decrease the ZTT.


## PMQ Constant Gradient Tank 5



## PMQ Constant Gradient Tank 4, 5



## PMQ Constant Gradient Tank 3, 4, 5



## Geometrical Parameters

## Fixed Parameters

| Parameter [cm] / Tank | 1 | 2 | 3 | 4 | 5 |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Ro | 0.8 | 0.8 | 0.8 | 0.8 | 0.8 |  |  |
| Rb | 1.0 | 1.1 | 1.1 | 1.2 | 1.2 |  |  |
| Rc | 0.5 | 0.5 | 0.5 | 0.5 | 0.5 |  |  |
| Ri | 0.3 | 0.3 | 0.3 | 0.3 | 0.3 |  |  |
| F | 0.3 | 0.3 | 0.3 | 0.3 | 0.3 |  |  |
| DDt | 9.0 | 9.0 | 9.0 | 9.0 | 9.0 |  |  |
| DT | 52.0 | 52.0 | 52.0 | 52.0 | 52.0 |  |  |

## Design Parameters

Every cell is designed by defining cell length, gap length and face angle in order:

- to reach the desired resonance frequency and to be consistent with the RF phase;
- to maximize the shunt impedance;
- to maintain the level of the maximum surface electric field below the design threshold.

Every tank is designed by defining its length such that:

- $\mathrm{P}_{\text {copper }} \times 1.25+\mathrm{P}_{\text {beam }}\left(\mathrm{I}_{\text {beam }}=62.5 \mathrm{~mA}, 1.25\right.$ is margin on MDTfish computation $)<2.20 \mathrm{MW}$.


## Fine Tuning on $\mathbf{E}_{0}$

- Even if the cells, different in length, have the same pulsation, the accelerating field is not constant because there is NOT a perfect mode matching between the adjacent cells built individually. The mismatch produces a natural tilt of the accelerating field that must be compensated.
- The phase variation implies a cell length variation.
- The tilt that results from a cell length variation, that varies (less or more) linearly, can be compensated by end walls.
- The tilt that results from a cell length variation, that doesn't vary linearly, can be compensated by end walls and fine tuning (cell by cell tuning).
- E0 - E0 ideal $\triangle$ Error

* For more information read: R. De Prisco et al. "ESS DTL RF MODELIZATION: FIELD TUNING AND STABILIZATION", IPAC'13, Shanghai, THPWO070.


## Stabilization (1/2)

- PCs can be introduced as series of inductance, Lpc, and capacitance, $\mathrm{CPC}_{\mathrm{P}}$, in parallel with the capacitance $\mathrm{Cp}^{\text {p }}$ positioned in the longitudinal center of the drift tubes.
- The values of Lpc and Cpc must be chosen in order to stabilize the accelerating field. It is possible to outdistance the PCs until the Eo is within the $\mathbf{1 \%}$ of the desired value.
- Fixed the number of PCs the post length are then adjusted such that the frequency of the PC 0 -mode is close to the operation frequency of $\mathbf{3 5 2 . 2 1} \mathrm{MHz}$ (confluence).
- Fixed the perturbations of the end cells to simulate the worst case (maximum machining error), the stabilization (by assuming that PCs are inserted with their optimum length) depends essentially from the distance between two consecutive PCs. This length in the case of ESS DTL is around 33 cm to have an error of $1 \%$ on Eo respect to the nominal case.


The results are confirmed by COMSOL 3D-simulations.


[^0]
## Stabilization (2/2)

| Parameter / Tank | 1 | 2 | 3 | 4 | 5 |  |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: |
| Cells per cavity | 61 | 34 | 29 | 26 | 23 |  |
| PC distance [m] | 0.35 | 0.33 | 0.35 | 0.32 | 0.33 |  |
| N PCs | 23 | 22 | 28 | 25 | 22 |  |
| N PCs / N cells | First 12 cells: $1 / 4$ <br> Second 18 cells: $1 / 3$ <br> Others: $1 / 2$ | First 20 cells: $1 / 2$ <br> Others: $1 / 1$ | $1 / 1$ | $1 / 1$ | $1 / 1$ |  |
| Detuning [MHz] | 0.17 |  | 0.17 | 0.20 | 0.17 | 0.17 |
| Power [MW] | 0.031 | 0.036 | 0.044 | 0.031 | 0.031 |  |

## Manufacturing Error

The first cell of the first tank (smallest cell) is the most sensitive to errors.

| Cell I of the tank 1 | Nominal [mm] | Sensitivity <br> $[\mathrm{KHz/mm}]$ | Tolerance <br> $[\mathrm{mm}]$ | Static Error <br> $[\mathrm{KHz}]$ |
| :--- | :---: | :---: | :---: | :---: |
| GAP_Length | 13.13 | 5187.65 | $\pm 0.025$ | $\pm 129.691$ |
| FACE_Angle |  | 6684.35 | $\pm 0.025$ | $\pm 167.109$ |
| DT_Diameter | 90 | -1191.20 | $\pm 0.025$ | $\mp 29.780$ |
| TANK_Diameter | 520 | -450.96 | $\pm 0.100$ | $\mp 45.096$ |
| STEM_Diameter | 28 | 131.84 | $\pm 0.025$ | $\pm 3.296$ |

Static error in the worst case is equal to: $\mathbf{3 7 4 . 9 7} \mathrm{KHz}$.

- The static tuners compensate manufacturing errors.
- The movable tuners compensate thermal expansion.


## Static Tuners

- Tuner diameter equal to $\mathbf{9 0} \mathbf{m m}$.
- Distributed uniformly every $\mathbf{3 0} \mathrm{cm}$ along the tank.
- Located at $+\mathbf{4 5}^{\circ}$ and $+\mathbf{1 3 5}{ }^{\circ}$ with respect to the post coupler axis in order not to influence the frequency of the PC 0 -mode by tuner penetration.
- The tuner sensitivity is $\mathbf{6 . 0 2}(\mathrm{kHz} / \mathrm{mm}) \times \mathrm{m}$, linear around $\mathbf{2 0 m m}$ of penetration.
- Static tuners must compensate the static error that in the worst case $(+\mathbf{2 0} \%$ margin also) is equal to $\mathbf{4 5 0} \mathrm{KHz}$.
- Frequency shift of stems and post couplers are compensated by the face angles.
- The Superfish frequency target is: $\mathbf{3 5 2 . 2 1} \mathrm{MHz}-\mathbf{0 . 4 5} \mathrm{MHz}=\mathbf{3 5 1 . 7 1} \mathrm{MHz}$.



## Beam Loading

- Each tank is composed by cells with different lengths, Li, accelerating field integral, E0i, transit time factor, $\mathrm{T}_{\mathrm{i}}$, and different synchronous phase, $\phi_{\mathrm{i}}$. It is necessary an equivalent definition of $\phi$ tank for the tank:

$$
\tan \phi_{\text {tank }}=\frac{\sum_{i} E_{0 i} L_{i} T_{i} \sin \phi_{i}}{\sum_{i} E_{0 i} L_{i} T_{i} \cos \phi_{i}}
$$

- To minimize the generator power with respect to waveguide-to-cavity coupling parameter, $\beta_{0}$, it is necessary that:

$$
\beta_{0}=1+\frac{P_{\text {beam }}}{P_{C u}} \quad f_{0}=\frac{f_{R F}}{\frac{\left(\beta_{0}-1\right) \tan \phi_{\text {tank }}}{2 Q_{L}\left(\beta_{0}+1\right)}+1} \quad f_{R F}=352.21 \mathrm{MHz}
$$

| Parameter / tank | 1 | 2 | 3 | 4 | 5 |
| :--- | :---: | :---: | :---: | :---: | :---: |
| Pcu* $^{\prime}[\mathrm{MW}]$ | 1088 | 1078 | 1090 | 1126 | 1190 |
| Pbeam [MW] | 1104 | 1114 | 1106 | 1064 | 1005 |
| Q0* $=Q_{L}\left(\beta_{0}+1\right)$ | 42524 | 44455 | 44344 | 43804 | 43413 |
| Optimum Detuning $=f_{0}-f_{R F}[\mathrm{KHz}]$ | 2.69 | 2.20 | 2.18 | 2.07 | 1.98 |
| 3dB Bandwidth $=f_{0} /\left(2 Q_{L}\right)[\mathrm{KHz}]$ | 12.49 | 12.02 | 11.97 | 11.84 | 11.54 |
| Cavity time constant $=Q_{L} /\left(\pi f_{0}\right)[\mu \mathrm{sec}]$ | 12.74 | 13.24 | 13.29 | 13.44 | 13.79 |

* including 1.25 factor as margin.


[^0]:    * For more information read: R. De Prisco et al. "ESS DTL RF MODELIZATION: FIELD TUNING AND STABILIZATION", IPAC'13, Shanghai, THPWO070.

